

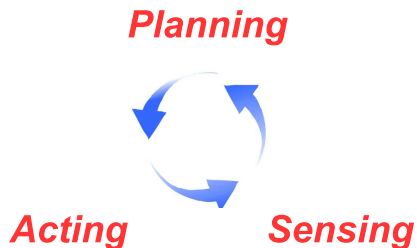
# CLIPP: Combining Logical Inference and Probabilistic Planning

*Shiqi Zhang*

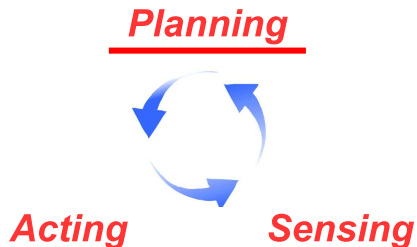
Advisor: Dr. Mohan Sridharan  
Department of Computer Science  
Texas Tech University

October 23, 2012

**Autonomous robots** are intelligent machines capable of performing tasks in the world by themselves, with minimal human control.



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# Why Planning is a Challenge for Robots?

- Lack of commonsense knowledge for reasoning.
  - ✓ **Example:** A robot will never know that “a human cannot appear in two places at the same time” unless it is explicitly defined.
  - ✓ **Solution:** Answer Set Programming (ASP).
- Unreliable observations and non-deterministic actions.
  - ✓ **Example:** A robot visually detects a human one-meter in front but actually that may not be the truth.
  - ✓ **Solution:** Partially Observable Markov Decision Process (POMDP).

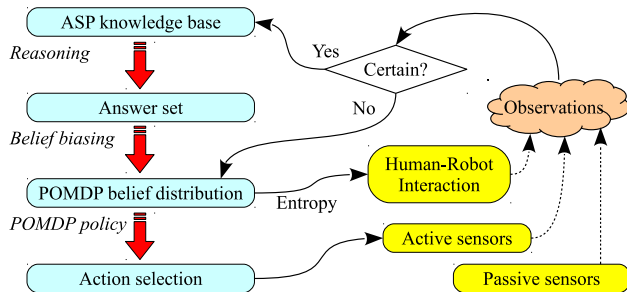
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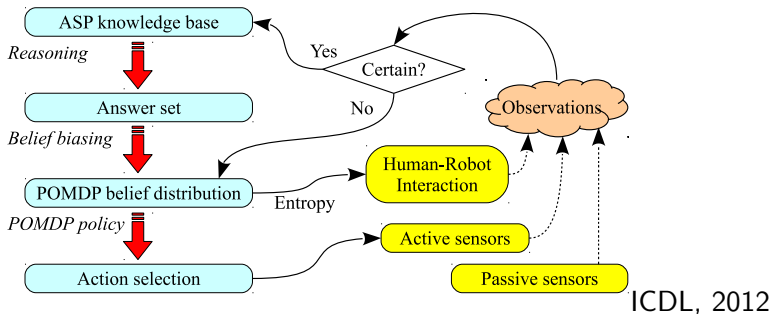
# CLIPP Framework: Combining Logical Inference and Probabilistic Planning



ICDL, 2012

Example application: Target Localization

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# Target Localization

## Target Localization

- A mobile robot is tasked with localizing target objects in indoor environments.
- The performance is evaluated based on time needed and accuracy.

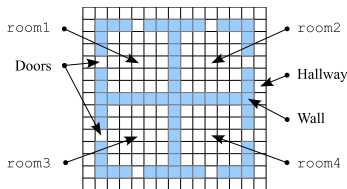


Figure: Simulated domain

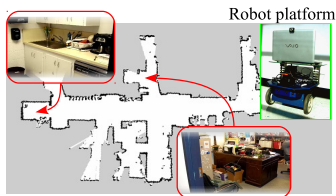


Figure: Realworld domain

*ASP → POMDP → Belief biasing → Question asking strategy*



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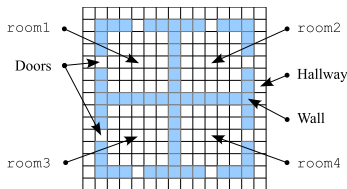


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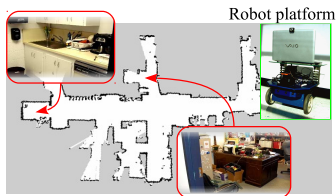


Figure: Realworld domain

*ASP* → *POMDP* → *Belief biasing* → *Question asking strategy*

## Target Localization (1/4): ASP Rules

$C$ ,  $C1$ ,  $C2$  are categories.  $R$ ,  $R1$ ,  $R2$  are rooms.  $O$  is an object.  $S$  is a timestep.

$located(C, R, S) : \neg observed(O, R, S), is(O, C).$

$located(C1, R, S) : \neg located(C2, R, S), is(C2, C1).$

$observed(O, R1, S + 1) : \neg observed(O, R1, S),$

$not\ observed(O, R2, S + 1), R1 \neq R2.$

$accessible(R, S + 1) : \neg accessible(R, S), not\ \neg accessible(R, S + 1).$

# Target Localization (1/4): Categorical Tree in ASP

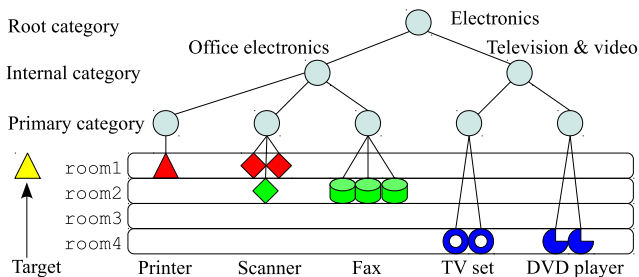


Figure: A categorical tree represented by ASP program

- ✓ Such a tree is automatically constructed and represented in ASP in knowledge base.
- ✓ The answer set can be converted into a distribution  $b^A$ :  
[0.3890, 0.3361, 0.0000, 0.2749].

Details

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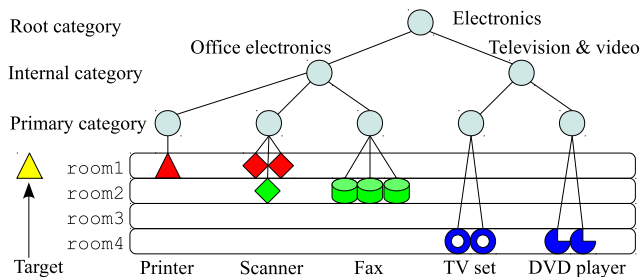


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Details

## Target Localization (2/4): Hierarchical POMDPs

Markov assumption (first order): state in  $t + 1$  only relies on the state in  $t$ .



Markov Decision Process (MDP, 1950s):  $(S, A, T, R)$ .



Partially Observable Markov Decision Process (POMDP, 1998):  
 $(S, A, O, T, \Omega, R)$ .

Our previous work proposed hierarchical POMDPs, where a robot holds a belief distribution  $b$  representing the estimation of current state.

AAMAS 2012 [Details](#)

An arithmetic-geometric hybrid merging strategy:  $r$ -norm.

$$b'_i = \beta \left\{ (1 - \Omega)(b_i)^r + \Omega(b_i^A)^r \right\}^{1/r} \quad (1)$$

where,  $b_i^A$  is the probability from answer set in room  $i$ .  $b_i$  and  $b'_i$  are the probabilities of target occurrence in room  $i$  before and after belief merging.  $\beta$  is a normalizer.  $\Omega \in [0, 1]$  represents the relative trust of the answer set.

# Target Localization (4/4): When to Ask Human a Question?

When the *entropy* of belief state is *high*, human feedback is needed.

*Entropy* of distribution  $b$

$$\mathcal{H}(b) = - \sum_{i=1}^N b_i \log(b_i) \quad (2)$$

# Experimental Results: Time Needed and accuracy

## Domain

- ✓ Fifty objects of 10 primary categories in 4 rooms are simulated.
- ✓ One of the objects is randomly selected as the target whose position is unknown to the robot.

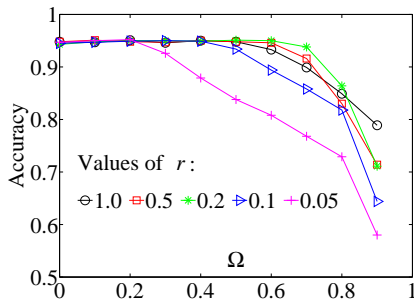


Figure: Accuracy

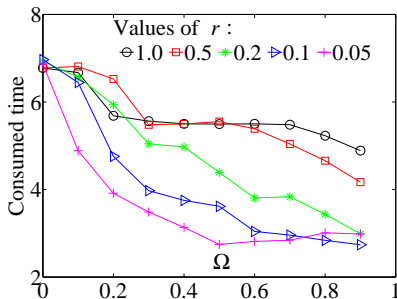


Figure: Time needed



# Experimental Results: Time Needed and Accuracy

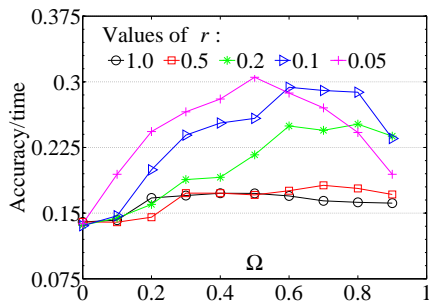


Figure: Accuracy/time

Irrespective of the value of  $r$ , the best accuracy-time balance occurs when the value of  $\Omega$  is neither too high nor too low.

# Experimental Results: Question Asking Strategy

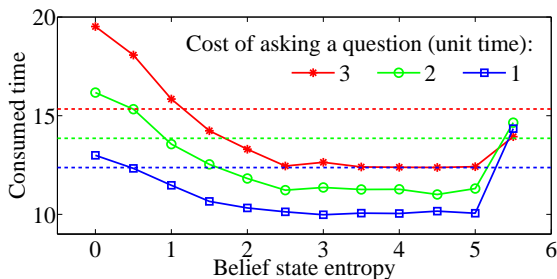


Figure: Entropy-based question asking strategy

Entropy-based strategy performs better than the **always-ask** (left end) and **never-ask** (right end) strategies.

- ✓ Negative observations to be added in knowledge base.
- ✓ CLIPP for teams with multiple robots.
- ✓ Customized POMDP belief biasing strategy based on answer sets.
- ✓ Tasks other than target localization.

# CLIPP: Combining Logical Inference and Probabilistic Planning

Thank you!

## Assumptions

- 1 An object is more likely to be co-located with *close* “relatives”, where closeness is defined as the distance to the lowest common ancestor in the tree of object categories.
- 2 For any category, the influence of “siblings” categories increases as the number of “siblings” decreases. The influence of a “sibling” category increases when there is sufficient support for the sibling’s existence (predicate observed/3).
- 3 The relationship between object occurrence probabilities (i.e., belief state entries) and evidence provided by categories (and siblings) is inspired by **Fechner’s law**<sup>a</sup>.

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<sup>a</sup>Fechner’s law was introduced in 1860 and serves as the basis of modern Psychophysics.

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## Appendix A: POMDP Bias Generation by Answer Set

$$b_i^A = \alpha \ln \left( 1 + \sum_{m=1}^{M_i} \frac{N_{i,m}^F}{\prod_{k=0}^{K_{i,m}-1} N_{i,k,m}^S} \right) \quad (3)$$

where  $b_i^A$ , the probability that the target is in room  $i$ .  $\alpha$  is a normalizer. The parameter  $m$  is the index of primary category  $C_m$ , ranging from 1 to the total number of primary categories with leaf objects known to be in room  $i$  (i.e.,  $M_i$ ). Values of  $M_i$  and  $N_{i,m}^F$  are obtained by counting the number of relevant located/3 and observed/3 literals (respectively) in the answer set.  $K_{i,m}$  is the height (in object category tree) of the lowest common ancestor of  $C_m$  and the target object. The product in the denominator accounts for category nodes along the path from  $C_m$  to the lowest common ancestor. Variable  $k$  represents the height of nodes along this path, ranging from 0 (object level) to  $K_{i,m} - 1$ .  $N_{i,k,m}^S$  is the number of siblings of the node (including itself) on the path at height  $k$ , and  $N_{i,0,m}^S = 1$ .

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# Appendix B: Hierarchical POMDPs

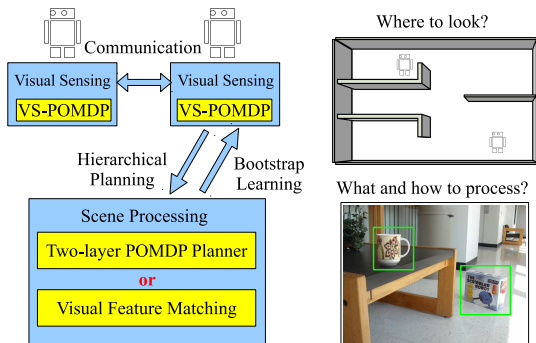


Figure: Sensing and Collaboration on Mobile Robots using POMDPs

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