TEXAS TECH UNIVERSITY
TTU K-12™

To the Parent(s):

After registration is complete and the proctor has been approved, your child may take the Third Grade Mathematics Credit by Examination to assess mastery over the Texas Essential Knowledge and Skills.

WHAT TO BRING

- several sharpened No. 2 pencils

ABOUT THE EXAM

The examination for Third Grade Mathematics consists of 59 questions. There are 54 multiple-choice questions worth 1.5 point each, 1 short answer question that is worth 3 points, and 4 short answer questions worth 4 points each. The exam is based on the Texas Essential Knowledge and Skills (TEKS) for this subject. The full list of TEKS is included in this document (it is also available online at the Texas Education Agency website, http://www.tea.state.tx.us/). The TEKS outline specific topics covered in the exam, as well as more general areas of knowledge and levels of critical thinking. Use the TEKS to focus your study in preparation for the exam. You will also find sample practice problems with answers. The practice problems are samples and do not cover all the TEKS.

The examination will take place under supervision, and the recommended time limit is three hours. You may not use any notes or books. You will need to bring the materials listed above. A percentage score from the examination will be reported to the official at your school.

In preparation for the examination, review the TEKS for this subject. It is important to prepare adequately. Any textbook from the Texas Adoption list can be used for a review.

Good luck on your test!

MATH 3 Practice Exam
Be sure to use the TEKS as the basis for additional study.

1. Examine the number below and answer the questions about the number.

    78,099

    A. How is the number written in expanded form?
    B. What digit is in the ten thousands place?
    C. What is the value of 8?
    D. What is the relationship between the tens place and the ones place?

2. List the following numbers in order from greatest to least:

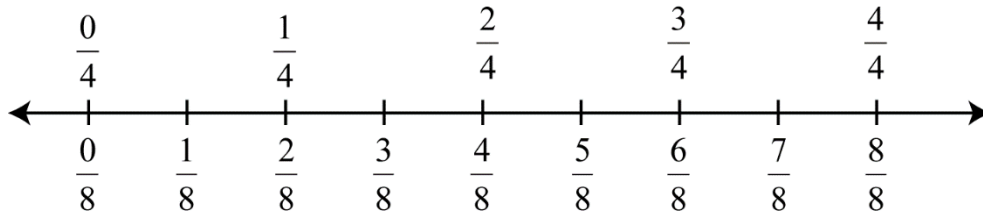   386,029 386,101 386,092 386,074

3. What fraction best represents point *P* on the number line below?
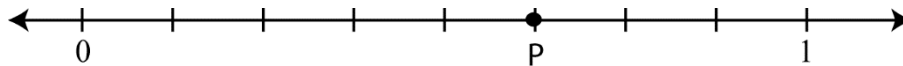
4. Write $\dfrac{3}{4}$ as the sum of unit fractions.

5. Compare the fractions:

    A. $\dfrac{1}{4}$ and $\dfrac{3}{4}$

    B. $\dfrac{2}{8}$ and $\dfrac{2}{3}$

6. Four friends want to share two candy bars equally. How much will each friend get?

7. What fraction is equivalent to $\dfrac{3}{4}$?

$$\begin{array}{ccccc} \dfrac{0}{4} & \dfrac{1}{4} & \dfrac{2}{4} & \dfrac{3}{4} & \dfrac{4}{4} \end{array}$$

$$\begin{array}{ccccccccc} \dfrac{0}{8} & \dfrac{1}{8} & \dfrac{2}{8} & \dfrac{3}{8} & \dfrac{4}{8} & \dfrac{5}{8} & \dfrac{6}{8} & \dfrac{7}{8} & \dfrac{8}{8} \end{array}$$

8. Emma had 903 envelopes. She used 127 of the envelopes, then went to the store and bought 150 more envelopes. How many envelopes did she have after going to the store?

9. Tom has 425 toy cars. Jacob has 297 toy cars. What is a good estimate of how many fewer toy cars Jacob has than Tom?

10. Amy has 40 markers. Markers come in boxes with 8 markers in each box. How many boxes of markers does Amy have? Write and solve an equation.

11. Mike made a table to show the number of color tiles needed for different numbers of students for a math activity. If each student receives the same number of color tiles, what is the total number of color tiles needed for 7 students?

Color Tiles for Students

Number of Students	Total Number of Color Tiles
2	18
3	27
7	
9	81

12. Danielle has some stickers. She gives 6 stickers to each of 4 friends. Draw an array to show the total number of stickers Danielle had.

13. Andrew has 7 books. Jane has 3 times as many books as Andrew. Martin has 2 times as many books as Jane. How many books does Martin have?
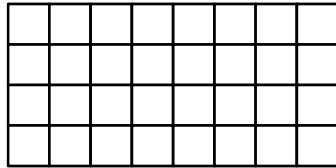
14. Examine the figures shown below.

    A. Name the shapes.

    B. What two geometric terms can be used to describe all three shapes?

15. Name and describe the figure shown below using formal geometric language.

16. Write and solve a multiplication sentence to find the area of the rectangle shown below.


Note: Be sure to study different ways to represent data (frequency tables, dot plots, pictograph, and bar graph with scaled intervals).

MATH 3 Practice Exam Answer Key

1. A. $70,000 + 8,000 + 90 + 9$

   B. 7

   C. 8,000

   D. 10 times the ones place = the tens place

2. 386,101 386,092 386,074 386,029

3. $\dfrac{5}{8}$

4. $\dfrac{3}{4} = \dfrac{1}{4} + \dfrac{1}{4} + \dfrac{1}{4}$

5. A. $\dfrac{1}{4} < \dfrac{3}{4}$ $\;OR\;$ $\dfrac{3}{4} > \dfrac{1}{4}$ (same denominator, so fraction w/ more parts is greater)

   B. $\dfrac{2}{8} < \dfrac{2}{3}$ $\;OR\;$ $\dfrac{2}{3} > \dfrac{2}{8}$ (same numerator, so fraction w/larger parts is greater)

6. $\dfrac{1}{2}$ candy bar

7. $\dfrac{6}{8}$

8. 926 envelopes

9. Rounding: $400 - 300 = 100$, so 100 toy cars

   Compatible Numbers: $425 - 300 = 125$, so 125 toy cars

10. $40 \div 8 = 5$ Amy has 5 boxes of markers.

11. 63

12. Any array showing 4 rows with 6 in each row, such as:

☐ ☐ ☐ ☐ ☐ ☐
☐ ☐ ☐ ☐ ☐ ☐
☐ ☐ ☐ ☐ ☐ ☐
☐ ☐ ☐ ☐ ☐ ☐
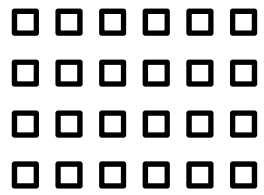
   Danielle has 24 stickers

13. 42 books

14. A. square, trapezoid, parallelogram

Texas Essential Knowledge and Skills
MATH 3 – Mathematics, Grade 3

TTU K-12: MATH 3 CBE, .5.0		
TEKS: §111.5. Mathematics, Grade 3, Adopted 2012.		
TEKS Requirement (Elementary)	**Set A Question Numbers**	**Set B Question Numbers**
§111.1. Implementation of Texas Essential Knowledge and Skills for Mathematics, Elementary, Adopted 2012.		
(a) The provisions of §§111.2-111.7 of this subchapter shall be implemented by school districts.		
(b) No later than August 31, 2013, the commissioner of education shall determine whether instructional materials funding has been made available to Texas public schools for materials that cover the essential knowledge and skills for mathematics as adopted in §§111.2-111.7 of this subchapter.		
(c) If the commissioner makes the determination that instructional materials funding has been made available under subsection (b) of this section, §§111.2-111.7 of this subchapter shall be implemented beginning with the 2014-2015 school year and apply to the 2014-2015 and subsequent school years.		
(d) If the commissioner does not make the determination that instructional materials funding has been made available under subsection (b) of this section, the commissioner shall determine no later than August 31 of each subsequent school year whether instructional materials funding has been made available. If the commissioner determines that instructional materials funding has been made available, the commissioner shall notify the State Board of Education and school districts that §§111.2-111.7 of this subchapter shall be implemented for the following school year.		
(e) Sections 111.11-111.17 of this subchapter shall be superseded by the implementation of §§111.1-111.7 under this section.		
§111.5. Grade 3, Adopted 2012.		
(a) Introduction.		
(1) The desire to achieve educational excellence is the driving force behind the Texas essential knowledge and skills for mathematics, guided by the college and career readiness standards. By embedding statistics, probability, and finance, while focusing on computational thinking, mathematical fluency, and solid understanding, Texas will lead the way in mathematics education and prepare all Texas students for the challenges they will face in the 21st century.		
(2) The process standards describe ways in which students are expected to engage in the content. The placement of the process standards at the beginning of the knowledge and skills listed for each grade and course is intentional. The process standards weave the other knowledge and skills together so that students may be successful problem solvers and use mathematics efficiently and effectively in daily life. The process standards are integrated at every grade level and course. When possible, students will apply mathematics to problems arising in everyday life, society, and the workplace. Students will use a problem-solving model that incorporates analyzing given information, formulating a plan or strategy, determining a solution, justifying the solution, and evaluating the problem-solving process and the reasonableness of the solution. Students will select appropriate tools such as real objects, manipulatives, algorithms, paper and pencil, and technology and techniques such as mental math, estimation, number sense, and generalization and abstraction to solve problems. Students will effectively communicate mathematical ideas, reasoning, and their implications using multiple representations such as symbols, diagrams, graphs, computer programs, and language. Students will use mathematical relationships to generate solutions and make connections and predictions. Students will analyze mathematical relationships to connect and communicate mathematical ideas. Students will display, explain, or justify mathematical ideas and arguments using precise mathematical language in written or oral communication.		
(3) For students to become fluent in mathematics, students must develop a robust sense of number. The National Research Council's report, "Adding It Up," defines procedural fluency as "skill in carrying out procedures flexibly, accurately, efficiently, and appropriately." As students develop procedural fluency, they must also realize that true problem solving may take time, effort, and perseverance. Students in Grade 3 are expected to perform their work without the use of calculators.		

(4) The primary focal areas in Grade 3 are place value, operations of whole numbers, and understanding fractional units. These focal areas are supported throughout the mathematical strands of number and operations, algebraic reasoning, geometry and measurement, and data analysis. In Grades 3-5, the number set is limited to positive rational numbers. In number and operations, students will focus on applying place value, comparing and ordering whole numbers, connecting multiplication and division, and understanding and representing fractions as numbers and equivalent fractions. In algebraic reasoning, students will use multiple representations of problem situations, determine missing values in number sentences, and represent real-world relationships using number pairs in a table and verbal descriptions. In geometry and measurement, students will identify and classify two-dimensional figures according to common attributes, decompose composite figures formed by rectangles to determine area, determine the perimeter of polygons, solve problems involving time, and measure liquid volume (capacity) or weight. In data analysis, students will represent and interpret data.		
(5) Statements that contain the word "including" reference content that must be mastered, while those containing the phrase "such as" are intended as possible illustrative examples.		
(b) Knowledge and skills.		
(1) Mathematical process standards. The student uses mathematical processes to acquire and demonstrate mathematical understanding. The student is expected to:		
(A) apply mathematics to problems arising in everyday life, society, and the workplace;	9, 25, 35, 55	9, 25, 35, 55
(B) use a problem-solving model that incorporates analyzing given information, formulating a plan or strategy, determining a solution, justifying the solution and evaluating the problem-solving process and the reasonableness of the solution;	21, 23, 57, 58, 59	21, 23, 57, 58, 59
(C) select tools, including real objects, manipulatives, paper and pencil, and technology as appropriate, and techniques, including mental math, estimation, and number sense as appropriate, to solve problems;	16, 18, 34, 36, 57, 58, 59	16, 18, 34, 36, 57, 58, 59
(D) communicate mathematical ideas, reasoning, and their implications using multiple representations, including symbols, diagrams, graphs, and language as appropriate;	11, 12, 18, 57, 58, 59	11, 12, 18, 57, 58, 59
(E) create and use representations to organize, record, and communicate mathematical ideas;	4, 39, 56	4, 39, 56
(F) analyze mathematical relationships to connect and communicate mathematical ideas; and	3	3
(G) display, explain, and justify mathematical ideas and arguments using precise mathematical language in written or oral communication.	7, 11	7, 11
(2) Number and operations. The student applies mathematical process standards to represent and compare whole numbers and understand relationships related to place value. The student is expected to:		
(A) compose and decompose numbers up to 100,000 as a sum of so many ten thousands, so many thousands, so many hundreds, so many tens, and so many ones using objects, pictorial models, and numbers, including expanded notation as appropriate;	1, 44	1, 44
(B) describe the mathematical relationships found in the base-10 place value system through the hundred thousands place;	3	3
(C) represent a number on a number line as being between two consecutive multiples of 10; 100; 1,000; or 10,000 and use words to describe relative size of numbers in order to round whole numbers; and	4	4
(D) compare and order whole numbers up to 100,000 and represent comparisons using the symbols >, <, or =.	2, 45	2, 45
(3) Number and operations. The student applies mathematical process standards to represent and explain fractional units. The student is expected to:		
(A) represent fractions greater than zero and less than or equal to one with denominators of 2, 3, 4, 6, and 8 using concrete objects and pictorial models, including strip diagrams and number lines;	5	5
(B) determine the corresponding fraction greater than zero and less than or equal to one with denominators of 2, 3, 4, 6, and 8 given a specified point on a number line;	6	6
(C) explain that the unit fraction $1/b$ represents the quantity formed by one part of a whole that has been partitioned into b equal parts where b is a non-zero whole number;	7	7
(D) compose and decompose a fraction a/b with a numerator greater than zero and less than or equal to b as a sum of parts $1/b$;	8	8
(E) solve problems involving partitioning an object or a set of objects among two or more recipients using pictorial representations of fractions with denominators of 2, 3, 4, 6, and 8;	9	9
(F) represent equivalent fractions with denominators of 2, 3, 4, 6, and 8 using a variety of objects and pictorial models, including number lines;	10, 46	10, 46

(G) explain that two fractions are equivalent if and only if they are both represented by the same point on the number line or represent the same portion of a same size whole for an area model; and	11	11
(H) compare two fractions having the same numerator or denominator in problems by reasoning about their sizes and justifying the conclusion using symbols, words, objects, and pictorial models.	12, 47	12, 47
(4) Number and operations. The student applies mathematical process standards to develop and use strategies and methods for whole number computations in order to solve problems with efficiency and accuracy. The student is expected to:		
(A) solve with fluency one-step and two-step problems involving addition and subtraction within 1,000 using strategies based on place value, properties of operations, and the relationship between addition and subtraction;	15, 57	15, 57
(B) round to the nearest 10 or 100 or use compatible numbers to estimate solutions to addition and subtraction problems;	16	16
(C) determine the value of a collection of coins and bills;	38	38
(D) determine the total number of objects when equally-sized groups of objects are combined or arranged in arrays up to 10 by 10;	17	17
(E) represent multiplication facts by using a variety of approaches such as repeated addition, equal-sized groups, arrays, area models, equal jumps on a number line, and skip counting;	18	18
(F) recall facts to multiply up to 10 by 10 with automaticity and recall the corresponding division facts;	19	19
(G) use strategies and algorithms, including the standard algorithm, to multiply a two-digit number by a one-digit number. Strategies may include mental math, partial products, and the commutative, associative, and distributive properties;	20	20
(H) determine the number of objects in each group when a set of objects is partitioned into equal shares or a set of objects is shared equally;	21	21
(I) determine if a number is even or odd using divisibility rules;	13	13
(J) determine a quotient using the relationship between multiplication and division; and	22	22
(K) solve one-step and two-step problems involving multiplication and division within 100 using strategies based on objects; pictorial models, including arrays, area models, and equal groups; properties of operations; or recall of facts.	23, 50, 58	23, 50, 58
(5) Algebraic reasoning. The student applies mathematical process standards to analyze and create patterns and relationships. The student is expected to:		
(A) represent one- and two-step problems involving addition and subtraction of whole numbers to 1,000 using pictorial models, number lines, and equations;	24, 48, 49, 50	24, 48, 49, 50
(B) represent and solve one- and two-step multiplication and division problems within 100 using arrays, strip diagrams, and equations;	25, 53	25, 53
(C) describe a multiplication expression as a comparison such as 3 x 24 represents 3 times as much as 24;	26	26
(D) determine the unknown whole number in a multiplication or division equation relating three whole numbers when the unknown is either a missing factor or product; and	27	27
(E) represent real-world relationships using number pairs in a table and verbal descriptions.	28, 51, 59	28, 51, 59
(6) Geometry and measurement. The student applies mathematical process standards to analyze attributes of two-dimensional geometric figures to develop generalizations about their properties. The student is expected to:		
(A) classify and sort two- and three-dimensional figures, including cones, cylinders, spheres, triangular and rectangular prisms, and cubes, based on attributes using formal geometric language;	29, 52	29, 52
(B) use attributes to recognize rhombuses, parallelograms, trapezoids, rectangles, and squares as examples of quadrilaterals and draw examples of quadrilaterals that do not belong to any of these subcategories;	30	30
(C) determine the area of rectangles with whole number side lengths in problems using multiplication related to the number of rows times the number of unit squares in each row;	31, 55	31, 55
(D) decompose composite figures formed by rectangles into non-overlapping rectangles to determine the area of the original figure using the additive property of area; and	32	32

(E) decompose two congruent two-dimensional figures into parts with equal areas and express the area of each part as a unit fraction of the whole and recognize that equal shares of identical wholes need not have the same shape.	33	33
(7) Geometry and measurement. The student applies mathematical process standards to select appropriate units, strategies, and tools to solve problems involving customary and metric measurement. The student is expected to:		
(A) represent fractions of halves, fourths, and eighths as distances from zero on a number line;	14	14
(B) determine the perimeter of a polygon or a missing length when given perimeter and remaining side lengths in problems;	34, 54	34, 54
(C) determine the solutions to problems involving addition and subtraction of time intervals in minutes using pictorial models or tools such as a 15-minute event plus a 30-minute event equals 45 minutes;	35	35
(D) determine when it is appropriate to use measurements of liquid volume (capacity) or weight; and	36	36
(E) determine liquid volume (capacity) or weight using appropriate units and tools.	37	37
(8) Data analysis. The student applies mathematical process standards to solve problems by collecting, organizing, displaying, and interpreting data. The student is expected to:		
(A) summarize a data set with multiple categories using a frequency table, dot plot, pictograph, or bar graph with scaled intervals; and	39, 56	39, 56
(B) solve one- and two-step problems using categorical data represented with a frequency table, dot plot, pictograph, or bar graph with scaled intervals.	40	40
(9) Personal financial literacy. The student applies mathematical process standards to manage one's financial resources effectively for lifetime financial security. The student is expected to:		
(A) explain the connection between human capital/labor and income;	55	55
(B) describe the relationship between the availability or scarcity of resources and how that impacts cost;	41	41
(C) identify the costs and benefits of planned and unplanned spending decisions;	55	55
(D) explain that credit is used when wants or needs exceed the ability to pay and that it is the borrower's responsibility to pay it back to the lender, usually with interest;	42	42
(E) list reasons to save and explain the benefit of a savings plan, including for college; and	43	43
(F) identify decisions involving income, spending, saving, credit, and charitable giving.	55	55
Source: The provisions of this §111.5 adopted to be effective September 10, 2012, 37 TexReg 7109; amended to be effective October 15, 2013, 38 TexReg 7112.		